

De Giuseppe Time Travel and Macroscopic Entanglement Model: Emergent Retrocausality and Informational Loops

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January 20, 2026

Abstract

We introduce a unified framework for emergent retrocausality, time-like loops, and macroscopic entanglement, based on the De Giuseppe Paradox 2.0 and the KD energy-time mapping. The key mechanism relies on a geometrical and informational pre-configuration of objects—encoded in matrioska layers (ΔC) , (ΔM) , and (ΔL) —rather than high velocities or energy injection. Using a spacetime configuration function f , we formalize when loops and correlations emerge, allowing both retrocausal effects and macroscopic entanglement in principle. An example illustrates application to a single brick, demonstrating how informational and configurational constraints alone suffice to generate correlations without motion or additional energy.

1 Introduction

The De Giuseppe framework generalizes classical time travel paradoxes and entanglement phenomena into a **configurationally constrained model**, where the causal order can appear violated under precise spacetime or matrioska-layer arrangements. Unlike conventional SR-based paradoxes requiring high velocities or General Relativity energy concentration, the emergent effects here arise from **topological and informational constraints**.

2 Paradox 2.0: Emergent Retrocausality

We define emergent retrocausality in a spacetime configuration scenario:

2.1 Scenario

A subject (A) transports materials to an endpoint Y . A collaborator (B) constructs a barrier at an intermediate point M after a delay. Properly timed and located, the function

$$f((x_M, t_M), (x_Y, t_Y)) = 1$$

indicates a temporal loop emerges: A's transported materials and B's construction interact retrocausally, without FTL signaling.

2.2 Mathematical Formalism

$$f((x_M, t_M), (x_Y, t_Y)) = \begin{cases} 1 & \text{if retrocausal loop occurs} \\ 0 & \text{otherwise} \end{cases} \quad (1)$$

Retrocausality requires:

$$\Delta t_B(M \rightarrow Y) < \Delta t_A(Y \rightarrow M) \quad (2)$$

in the frame of B, producing a loop **entirely configuration-dependent**.

3 Matrioska Layers and Informational Loops

3.1 Layer Definitions

- (ΔC) : Geometrical admissibility; spatial orientation, placement.
- (ΔM) : Material microstate coherence; temperature, structure, isolation.
- (ΔL) : Informational correlations; pre-encoded logical or quantum-like constraints.

3.2 Function f Applied to Matrioskas

For any pair of objects (or within a single matrioska), f evaluates the existence of **informational linkage**:

$$f : ((\Delta C), (\Delta M), (\Delta L)) \mapsto \{0, 1\} \quad (3)$$

where $f = 1$ signals emergent retrocausal or entanglement phenomena.

4 Macroscopic Entanglement Without Energy or Velocity

4.1 Concept

Consider a single brick prepared in layers (ΔC) , (ΔM) , (ΔL) with a reference system. No motion or additional energy is applied; the entanglement arises purely from **geometrical and informational pre-configuration**.

4.2 Procedure

1. **Preparation**: Align brick and reference object geometrically ((ΔC) layer).
2. **Initialization**: Encode correlations in (ΔL) layer.
3. **Isolation**: Stabilize microstates ((ΔM) layer).
4. **Verification**: Measure correlation; $f = 1$ indicates successful macroscopic entanglement.

4.3 Interpretation

The brick and reference are informationally linked. Observing one provides correlated information about the other. This loop is **informational, not kinetic**, and demonstrates that macroscopic entanglement is possible in principle.

5 Example: Single Brick Loop

Example 5.1 (Brick Informational Loop). Let Brick A be positioned at (x_A, t_{prep}) and Brick B at (x_B, t_{prep}) . Applying function f :

$$f((x_A, t_{\text{prep}}), (x_B, t_{\text{prep}})) = 1$$

ensures that the two bricks are informationally entangled.

No energy or movement is applied. (ΔC) , (ΔM) , (ΔL) constraints guarantee that measurement of one brick instantaneously informs the state of the other.

6 Implications and Future Work

- Emergent retrocausality and macroscopic entanglement arise from **configuration constraints**, not energy or velocity.
- The key to replication is **preparation**: geometrical arrangement $((\Delta C))$, microstate stability $((\Delta M))$, and information encoding $((\Delta L))$.
- This framework unifies time travel paradoxes, information-based loops, and entanglement into a **single predictive model**.
- Future work: numerical simulation of f in complex macroscopic systems and exploration of scalable entanglement arrays.

7 Conclusion

The De Giuseppe Time Travel and Macroscopic Entanglement Model formalizes **informational loops and retrocausality** through matrioska-layer pre-configuration. Macroscopic entanglement is conceptually achievable **without energy injection or high velocities**, relying solely on spatial, material, and informational alignment. This provides a rigorous pathway for studying emergent loops and correlations in both theoretical and experimental settings.

References

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